

# Designing monitoring programs that can infer species absence:

## How much effort is enough?

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The peer told The Telegraph: “I know developers who suspect strongly that Great Crested Newts have been deliberately placed. They look around a site and there are no newts, then they look again and there they are; surprise, surprise.



BBC  
RADIO
























1. Implications of detectability widely misunderstood
2. Misunderstanding can have serious implications



# The problem....

Present?

Detection probability:  $\frac{3}{6}$

✓	Site 1:							
✓	Site 2:							
?	Site 3:							
✓	Site 4:							
?	Site 5:							

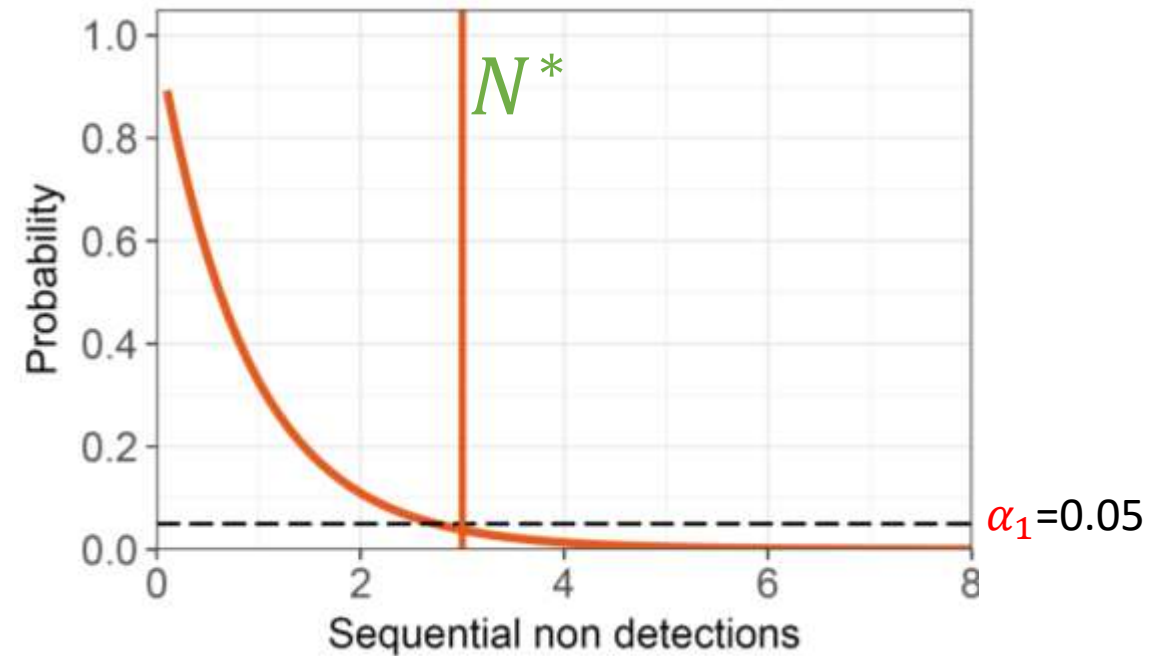


# 1-parameter framework



*When are rare species not there?*

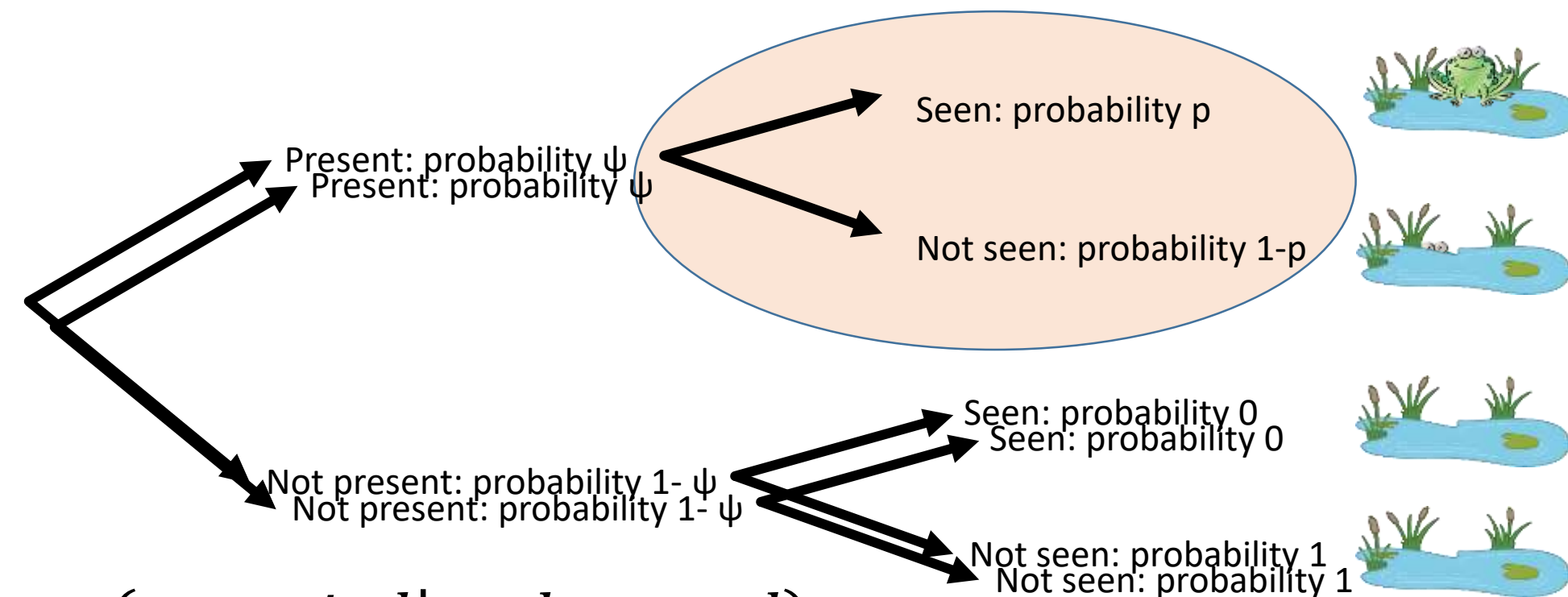
Brian H. McArdle, Dept of Zoology, Univ. of Auckland, Private Bag, Auckland, New Zealand  
*Oikos*, Vol. 57, No. 2 (Feb., 1990), pp. 276-277



$$P(\text{undetected}|\text{occupied}) \\ = 1 - (1 - p)^N$$

$$N^* = \frac{\log(1 - \alpha_1)}{\log(1 - p)}$$

# 2-parameter framework



$$p(\text{occupied}|\text{undetected})$$

$$= \frac{\psi(1-p)^N}{\psi(1-p)^N + (1-\psi)}$$

$$N^* = \frac{\log\left(\frac{1-\psi}{\psi} \cdot \frac{\alpha_2}{1-\alpha_2}\right)}{\log(1-p)}$$

# Aims

Compare recommendations from the two frameworks

- 1-parameter                      simple but also simplistic
- 2-parameter                    more complex but realistic



# Data

- 12 reptile species
- 294 1km<sup>2</sup> quadrats
- 1-3 visits

Data:

Detection probabilities

Prevalence estimates



Single season occupancy models

Nationwide species database

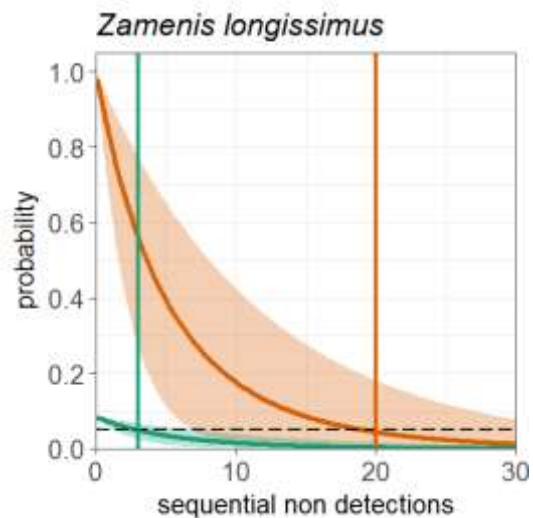
grid squares occupied/potentially habitat

several grain sizes (1x1/5x5/10x10 km)

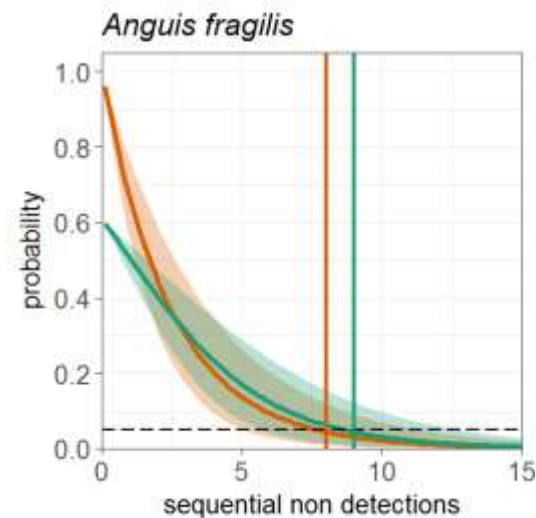
# Comparisons

Framework  
1-parameter  
2-parameter

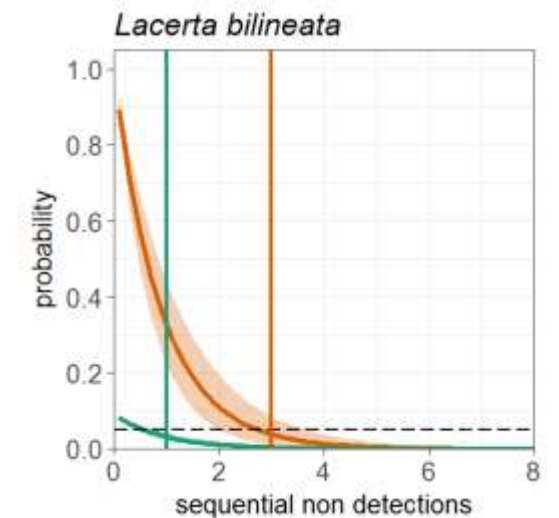
detection: 0.184  
prevalence: 8.5%



detection: 0.336  
prevalence: 60.6%



detection: 0.675  
prevalence: 62.1%

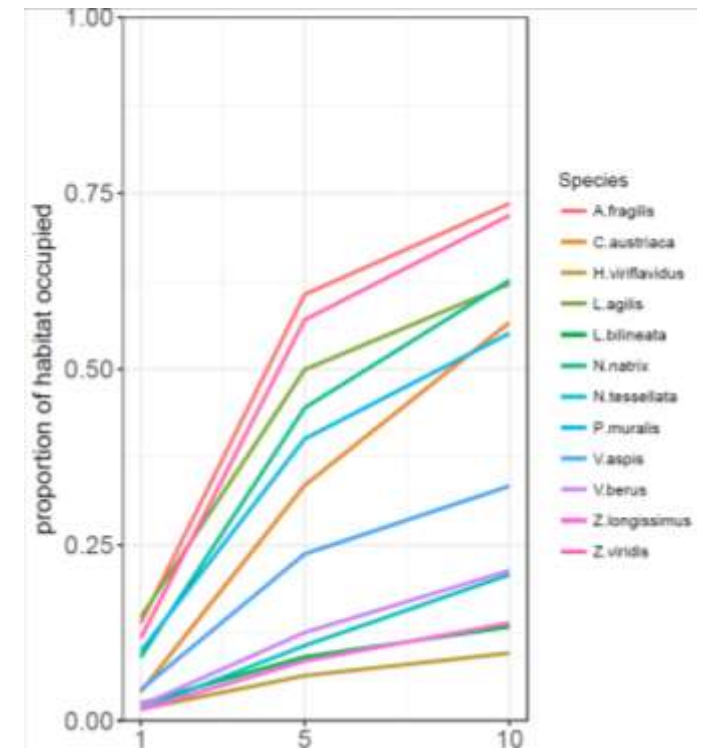




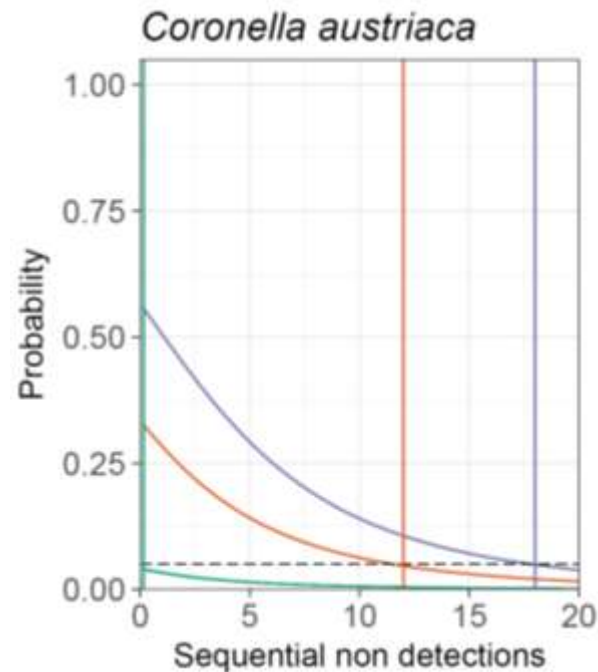
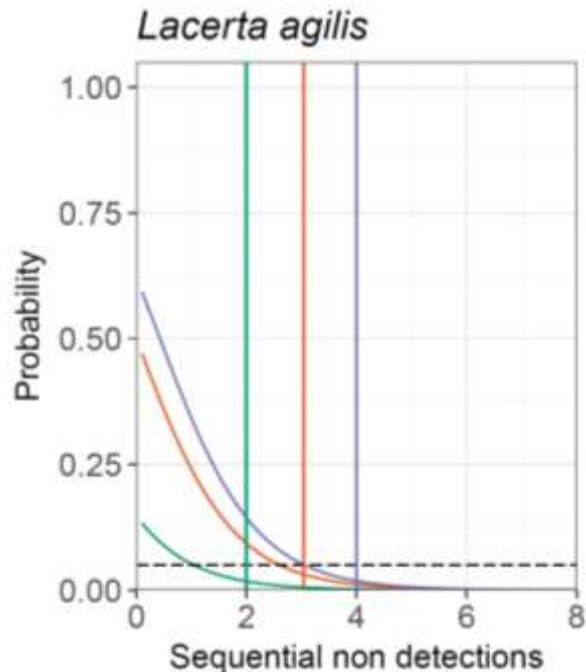
# Scale dependency



- Are data available?
- How do you assess prevalence?
- Very sensitive to prior information

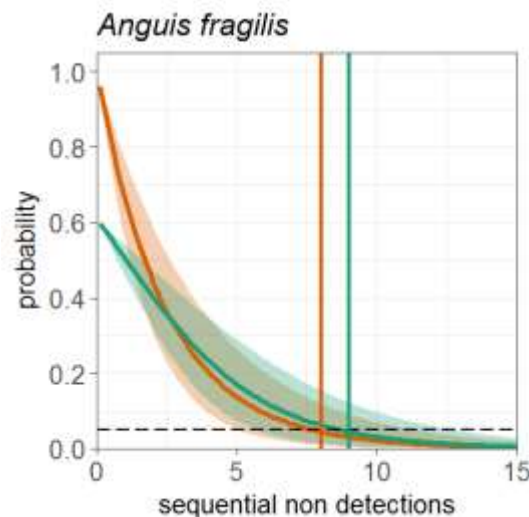


**Grid Size**  
— 1x1km<sup>2</sup>  
— 5x5km<sup>2</sup>  
— 10x10km<sup>2</sup>



# Hard to observe species

- Not feasible to put in enough effort
- Restricted-range species
  - Narrow the scope of monitoring (i.e. increase expected prevalence)
- Hard to detect species- Refine survey protocol to increase detection
  - Fewer, more accurate surveys > more, less accurate



# Conclusions

- Inferring absence from non-detections is very hard
- Scale: rarely have useful prior information
- Interpreting the consequences of non-detections is easier when ignoring prevalence
  - $\alpha$  is the maximum proportion of populations you are 'willing' to miss.
  - If you consider expected prevalence, you could miss much more than  $\alpha$
- Plotting the equations can be useful in demonstrating to people how much confidence you can place on your data

They look around a site and there are no newts, then they look again  
and there they are; ~~surprise, surprise.~~ but there you go, that's imperfect detection for you!



# Acknowledgements

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- Arpat Ozgul
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karch



Schweizerische Eidgenossenschaft  
Confédération suisse  
Confederazione Svizzera  
Confederaziun svizra

**Federal Office for the Environment FOEN**  
**Bundesamt für Umwelt BAFU**







$\psi \downarrow$

Present: probability  $\psi$

Not seen: probability  $1-p$



Not present: probability  $1-\psi$

Seen: probability 0



Not seen: probability 1

